

# Social Contagion

## Principles of Complex Systems

### Course CSYS/MATH 300, Fall, 2009

Prof. Peter Dodds

Dept. of Mathematics & Statistics  
Center for Complex Systems :: Vermont Advanced Computing Center  
University of Vermont



Licensed under the *Creative Commons Attribution-NonCommercial-ShareAlike 3.0 License*.

Social Contagion

Social Contagion  
Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 1/89



## Outline

### Social Contagion Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

### References

Social Contagion

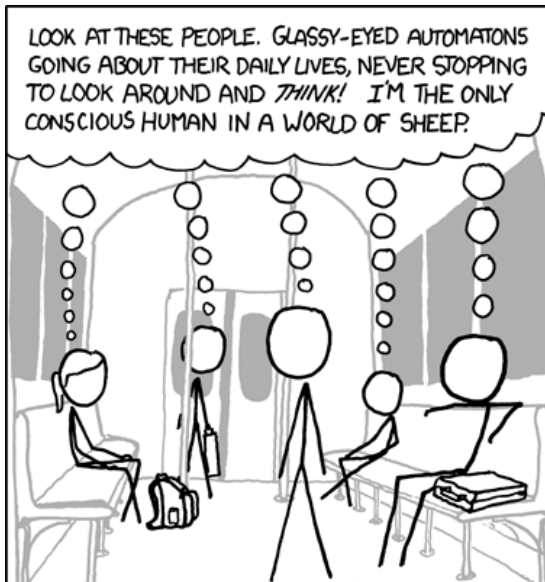
Social Contagion  
Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 2/89



## Social Contagion



<http://xkcd.com/610/> (田)

Social Contagion

Social Contagion  
Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 4/89



## Social Contagion



Social Contagion

Social Contagion  
Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 5/89



# Social Contagion



Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 6/89

# Social Contagion

## Examples abound

- ▶ fashion
- ▶ striking
- ▶ smoking (田) [6]
- ▶ residential segregation [15]
- ▶ ipods
- ▶ obesity (田) [5]
- ▶ Harry Potter
- ▶ voting
- ▶ gossip
- ▶ Rubik's cube 🎲
- ▶ religious beliefs
- ▶ **leaving lectures**

## SIR and SIRS contagion possible

- ▶ Classes of behavior versus specific behavior: **dieting**

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 7/89

# Framingham heart study:

## Evolving network stories:

- ▶ The spread of quitting smoking (田) [6]
- ▶ The spread of spreading (田) [5]

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 8/89

# Social Contagion

## Two focuses for us

- ▶ Widespread media influence
- ▶ Word-of-mouth influence

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 9/89

# Social Contagion

## We need to understand influence

- ▶ Who influences whom? Very hard to measure...
- ▶ What kinds of influence response functions are there?
- ▶ Are some individuals super influencers? Highly popularized by Gladwell<sup>[8]</sup> as 'connectors'
- ▶ The infectious idea of opinion leaders (Katz and Lazarsfeld)<sup>[12]</sup>

Social Contagion

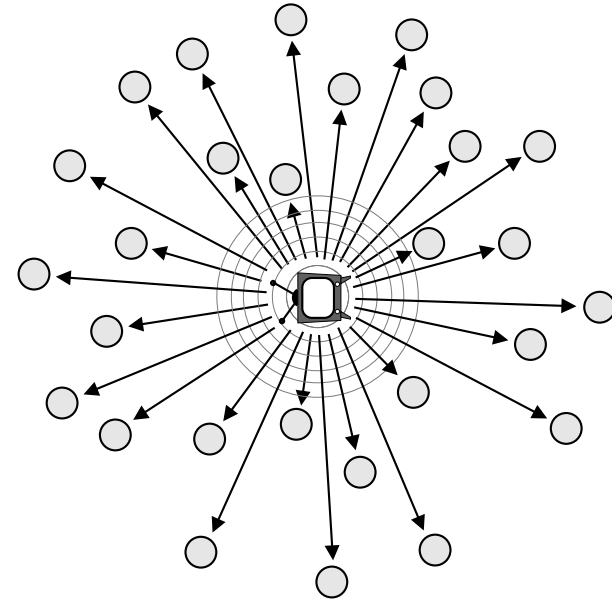
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 10/89

# The hypodermic model of influence



Social Contagion

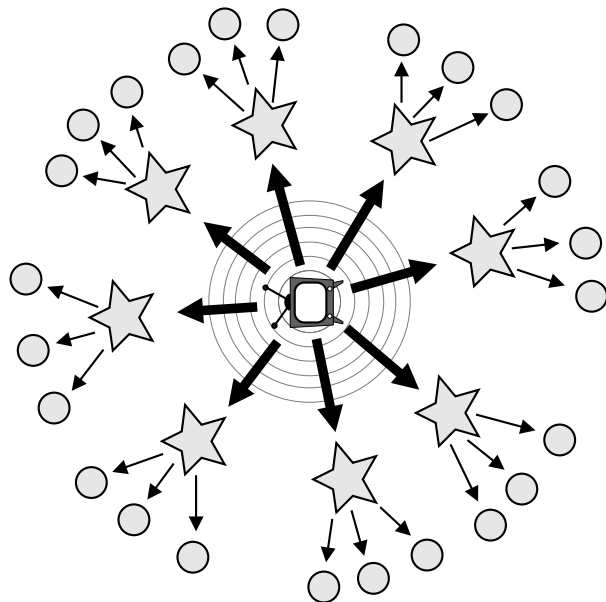
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 11/89

# The two step model of influence<sup>[12]</sup>



Social Contagion

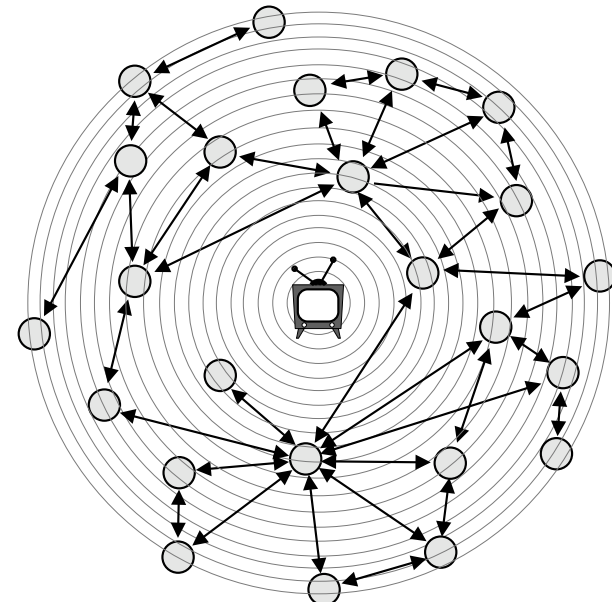
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 12/89

# The general model of influence



Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 13/89

# Social Contagion

## Why do things spread?

- ▶ Because of system level properties?
- ▶ Or properties of special individuals?
- ▶ Is the match that lights the fire important?
- ▶ Yes. But only because we are narrative-making machines...
- ▶ We like to think things happened for reasons...
- ▶ System/group properties harder to understand
- ▶ Always good to examine what is said before and after the fact...

Social Contagion

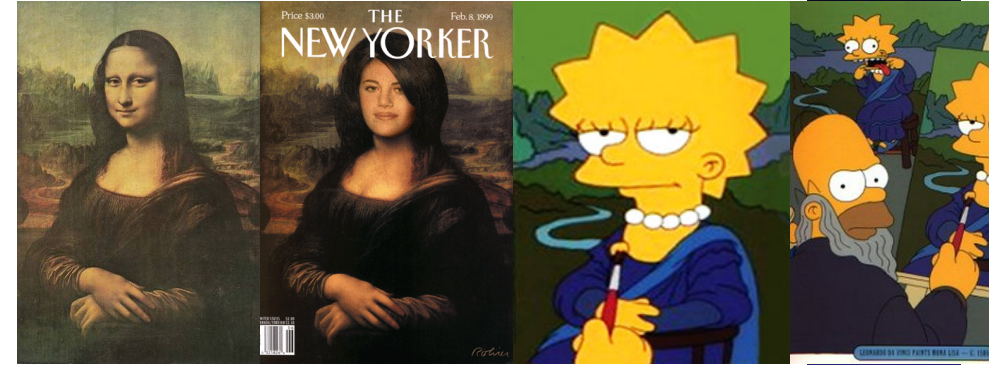
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 14/89

# The Mona Lisa



- ▶ “Becoming Mona Lisa: The Making of a Global Icon”—David Sassoon
- ▶ Not the world’s greatest painting from the start...
- ▶ Escalation through theft, vandalism, **parody**, ...

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 15/89

# The completely unpredicted fall of Eastern Europe



Timur Kuran: [13, 14] “Now Out of Never: The Element of Surprise in the East European Revolution of 1989”

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 16/89

# The dismal predictive powers of editors...



Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 17/89

# Social Contagion

## Messing with social connections

- ▶ Ads based on message content (e.g., Google and email)
- ▶ Buzz media
- ▶ Facebook's advertising: [Beacon](#) (田)

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 18/89



# Getting others to do things for you

A very good book: '**Influence**' by Robert Cialdini <sup>[7]</sup>

## Six modes of influence

1. **Reciprocation**: *The Old Give and Take... and Take*
2. **Commitment and Consistency**: *Hobgoblins of the Mind*
3. **Social Proof**: *Truths Are Us*
4. **Liking**: *The Friendly Thief*
5. **Authority**: *Directed Deference*
6. **Scarcity**: *The Rule of the Few*

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 19/89



# Examples

- ▶ **Reciprocation**: Free samples, Hare Krishnas
- ▶ **Commitment and Consistency**: Hazing
- ▶ **Social Proof**: Catherine Genovese, Jonestown
- ▶ **Liking**: Separation into groups is enough to cause problems.
- ▶ **Authority**: Milgram's obedience to authority experiment.
- ▶ **Scarcity**: Prohibition.

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 20/89



# Getting others to do things for you

- ▶ Cialdini's modes are heuristics that help up us get through life.
- ▶ Useful but can be leveraged...

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 21/89



# Social Contagion

## Other acts of influence

- ▶ Conspicuous Consumption (Veblen, 1912)
- ▶ Conspicuous Destruction (Potlatch)

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 22/89



# Social Contagion

## Some important models

- ▶ Tipping models—Schelling (1971) [15, 16, 17]
  - ▶ Simulation on checker boards
  - ▶ Idea of thresholds
  - ▶ **Fun with Netlogo and Schelling's model** [20]...
- ▶ Threshold models—Granovetter (1978) [9]
- ▶ Herding models—Bikhchandani, Hirschleifer, Welch (1992) [1, 2]
  - ▶ Social learning theory, Informational cascades,...

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 23/89



# Social contagion models

## Thresholds

- ▶ Basic idea: individuals adopt a behavior when a **certain fraction of others** have adopted
- ▶ 'Others' may be everyone in a population, an individual's close friends, any reference group.
- ▶ Response can be probabilistic or deterministic.
- ▶ Individual thresholds can vary
- ▶ Assumption: order of others' adoption does not matter... (**unrealistic**).
- ▶ Assumption: level of influence per person is uniform (**unrealistic**).

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 24/89



# Social Contagion

## Some possible origins of thresholds:

- ▶ **Desire to coordinate**, to conform.
- ▶ **Lack of information**: impute the worth of a good or behavior based on degree of adoption (social proof)
- ▶ Economics: **Network effects** or **network externalities**
- ▶ Externalities = Effects on others not directly involved in a transaction
- ▶ Examples: telephones, fax machine, Facebook, operating systems
- ▶ An individual's utility increases with the adoption level among peers and the population in general

Social Contagion

Social Contagion  
Models

Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 25/89

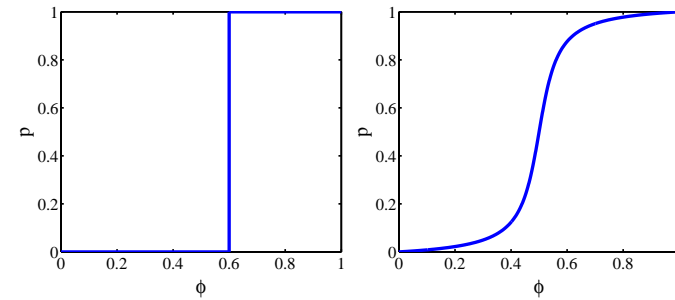


# Social Contagion

## Granovetter's Threshold model—definitions

- ▶  $\phi^*$  = threshold of an individual.
- ▶  $f(\phi_*)$  = distribution of thresholds in a population.
- ▶  $F(\phi_*)$  = cumulative distribution =  $\int_{\phi'_*=0}^{\phi_*} f(\phi'_*)d\phi'_*$
- ▶  $\phi_t$  = fraction of people 'rioting' at time step  $t$ .

# Threshold models



- ▶ Example threshold influence response functions: **deterministic** and **stochastic**
- ▶  $\phi$  = fraction of contacts 'on' (e.g., rioting)
- ▶ Two states: S and I.

# Threshold models

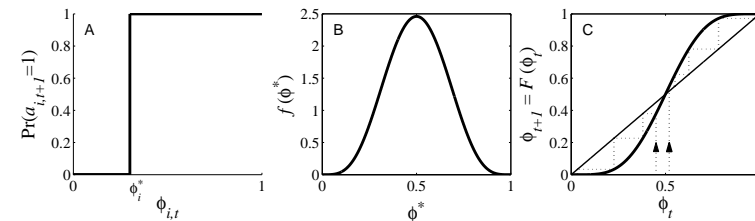
- ▶ At time  $t + 1$ , fraction rioting = fraction with  $\phi_* \leq \phi_t$ .

$$\phi_{t+1} = \int_0^{\phi_t} f(\phi_*)d\phi_* = F(\phi_*)|_0^{\phi_t} = F(\phi_t)$$

- ▶  $\Rightarrow$  Iterative maps of the unit interval  $[0, 1]$ .

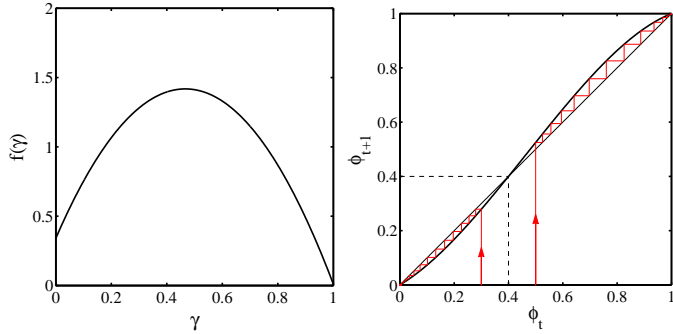
# Threshold models

Action based on perceived behavior of others.



- ▶ Two states: S and I.
- ▶  $\phi$  = fraction of contacts 'on' (e.g., rioting)
- ▶ Discrete time update (strong assumption!)
- ▶ This is a **Critical mass model**

# Threshold models



▶ Another example of critical mass model...

Social Contagion

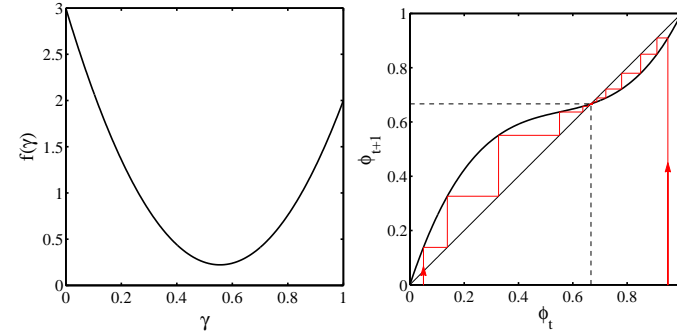
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 31/89

# Threshold models



▶ Example of single stable state model

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 32/89

# Threshold models

## Implications for collective action theory:

1. Collective uniformity  $\nRightarrow$  individual uniformity
2. Small individual changes  $\Rightarrow$  large global changes

Social Contagion

Social Contagion Models

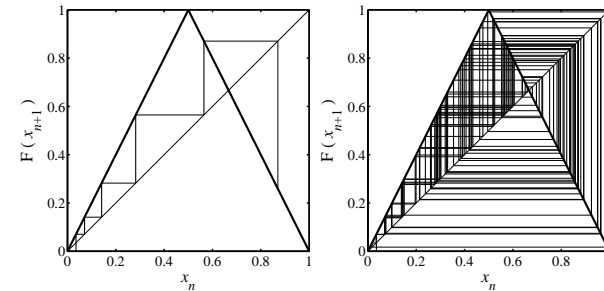
- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 33/89

# Threshold models

## Chaotic behavior possible [11, 10]



- ▶ Period doubling arises as map amplitude  $r$  is increased.
- ▶ Synchronous update assumption is crucial

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 34/89





# Snowballing

## First study random networks:

- ▶ Start with  $N$  nodes with a degree distribution  $p_k$
- ▶ Nodes are randomly connected (carefully so)
- ▶ Aim: Figure out when activation will propagate
- ▶ Determine a **cascade condition**

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version**
- Groups
- Chaos

References

Frame 40/89

# Snowballing

## Follow active links

- ▶ An active link is a link connected to an activated node.
- ▶ If an infected link leads to **at least 1 more infected link**, then **activation spreads**.
- ▶ We need to understand which nodes can be activated when only one of their neighbors becomes active.

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version**
- Groups
- Chaos

References

Frame 41/89

# The most gullible

## Vulnerables:

- ▶ We call individuals who can be activated by just one contact being active **vulnerables**
- ▶ The vulnerability condition for node  $i$ :

$$1/k_i \geq \phi_i$$

- ▶ Which means # contacts  $k_i \leq \lfloor 1/\phi_i \rfloor$
- ▶ For global cascades on random networks, must have a **global cluster of vulnerables**<sup>[19]</sup>
- ▶ **Cluster of vulnerables = critical mass**
- ▶ Network story: 1 node  $\rightarrow$  critical mass  $\rightarrow$  everyone.

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version**
- Groups
- Chaos

References

Frame 42/89

# Cascade condition

## Back to following a link:

- ▶ Link from leads to a node with probability  $\propto kP_k$ .
- ▶ Follows from links being random + having  $k$  chances to connect to a node with degree  $k$ .
- ▶ Normalization:

$$\sum_{k=0}^{\infty} kP_k = \langle k \rangle = z$$

- ▶ So

$$P(\text{linked node has degree } k) = \frac{kP_k}{\langle k \rangle}$$

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version**
- Groups
- Chaos

References

Frame 43/89

## Cascade condition

### Next: Vulnerability of linked node

- ▶ Linked node is **vulnerable** with probability

$$\beta_k = \int_{\phi'_*=0}^{1/k} f(\phi'_*) d\phi'_*$$

- ▶ If linked node is **vulnerable**, it produces  $k - 1$  **new** outgoing active links
- ▶ If linked node is **not vulnerable**, it produces **no** active links.

## Cascade condition

### Putting things together:

- ▶ Expected number of active edges produced by an active edge =

$$\sum_{k=1}^{\infty} \underbrace{(k-1)\beta_k \frac{kP_k}{z}}_{\text{success}} + \underbrace{0(1-\beta_k) \frac{kP_k}{z}}_{\text{failure}}$$

- ▶

$$= \sum_{k=1}^{\infty} (k-1)k\beta_k P_k/z$$

## Cascade condition

So... for random networks with fixed degree distributions, cascades take off when:

$$\sum_{k=1}^{\infty} k(k-1)\beta_k P_k/z \geq 1.$$

- ▶  $\beta_k$  = probability a degree  $k$  node is vulnerable.
- ▶  $P_k$  = probability a node has degree  $k$ .

## Cascade condition

### Two special cases:

- ▶ (1) Simple disease-like spreading succeeds:  $\beta_k = \beta$

- ▶

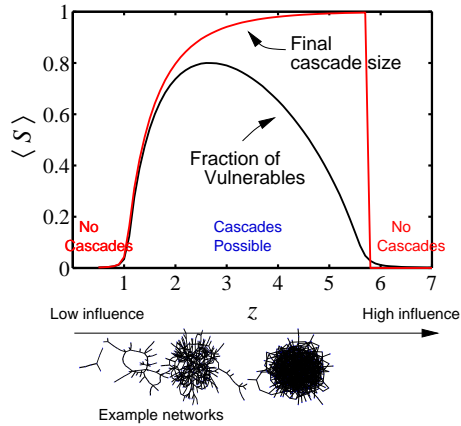
$$\beta \sum_{k=1}^{\infty} k(k-1)P_k/z \geq 1.$$

- ▶ (2) Giant component exists:  $\beta = 1$

- ▶

$$\sum_{k=1}^{\infty} k(k-1)P_k/z \geq 1.$$

## Cascades on random networks



- ▶ Cascades occur only if size of max vulnerable cluster  $> 0$ .
- ▶ System may be 'robust-yet-fragile'.
- ▶ 'Ignorance' facilitates spreading.

Social Contagion

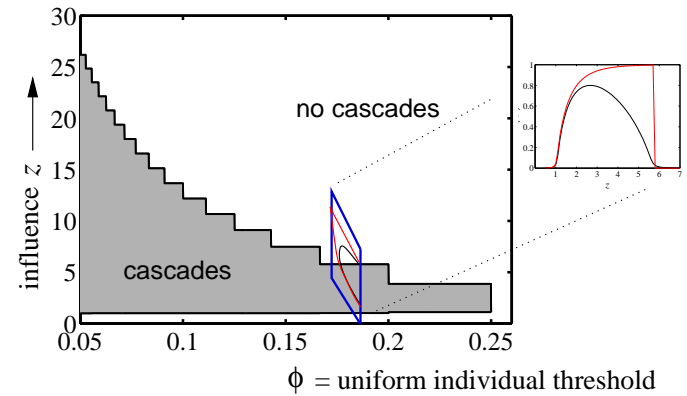
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 48/89

## Cascade window for random networks



- ▶ 'Cascade window' widens as threshold  $\phi$  decreases.
- ▶ Lower thresholds enable spreading.

Social Contagion

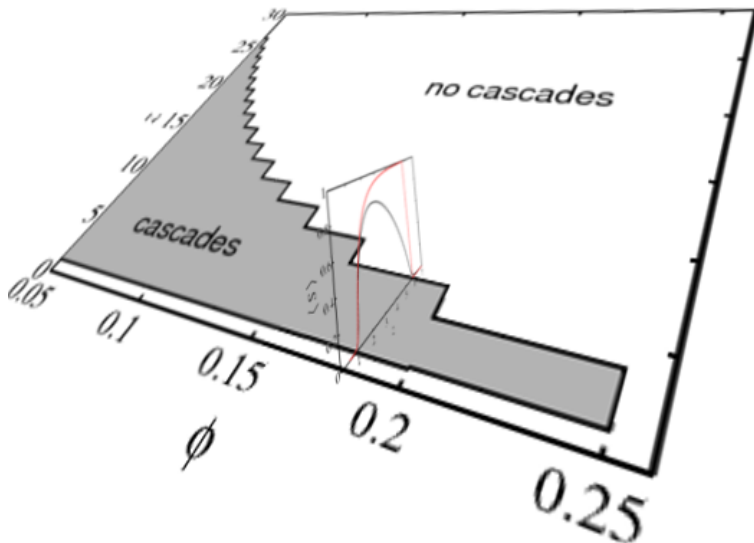
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 49/89

## Cascade window for random networks



Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 50/89

## Cascade window—summary

For our simple model of a uniform threshold:

1. Low  $\langle k \rangle$ : No cascades in poorly connected networks. No global clusters of any kind.
2. High  $\langle k \rangle$ : Giant component exists but not enough vulnerables.
3. Intermediate  $\langle k \rangle$ : Global cluster of vulnerables exists. Cascades are possible in "Cascade window."

Social Contagion

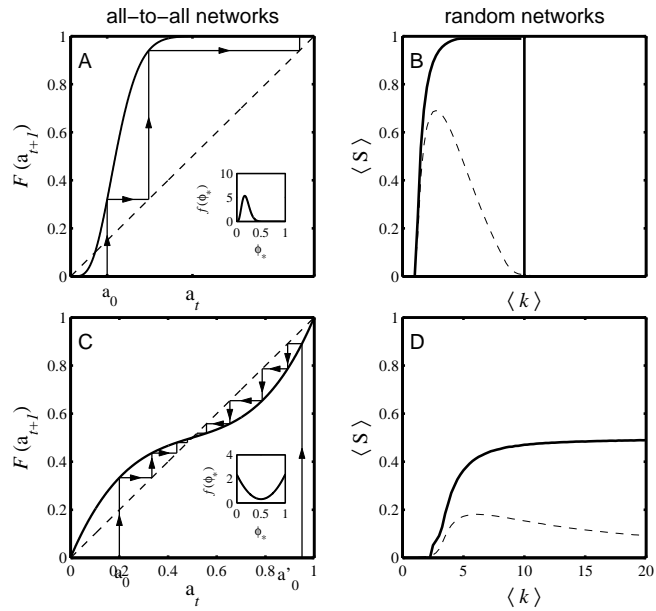
Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

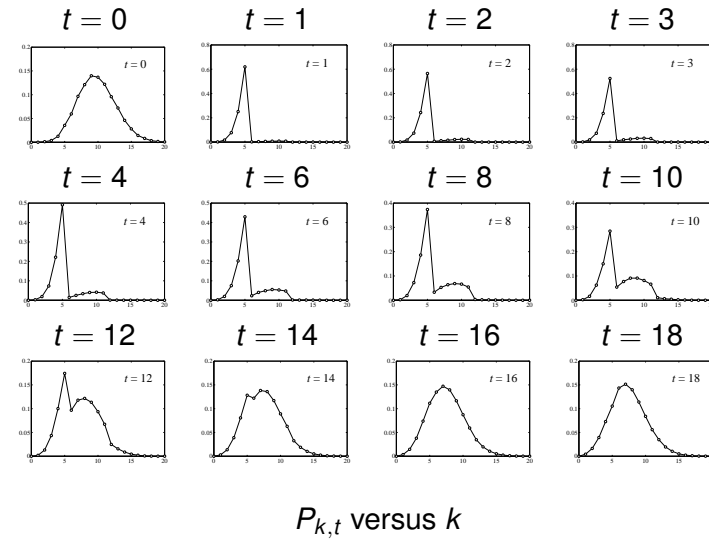
References

Frame 51/89

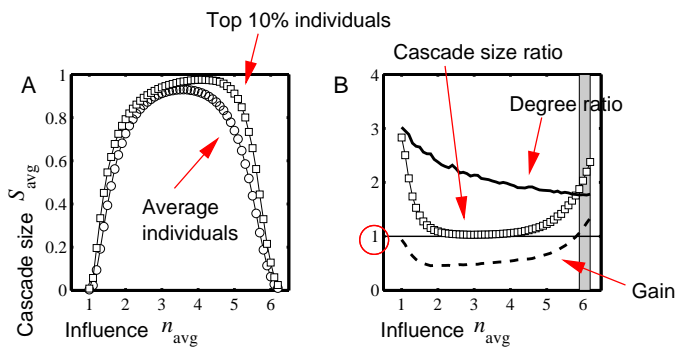
## All-to-all versus random networks



## Early adopters—degree distributions

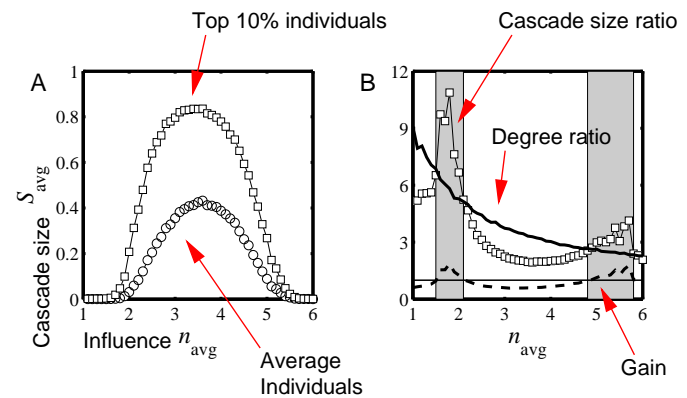


## The multiplier effect:



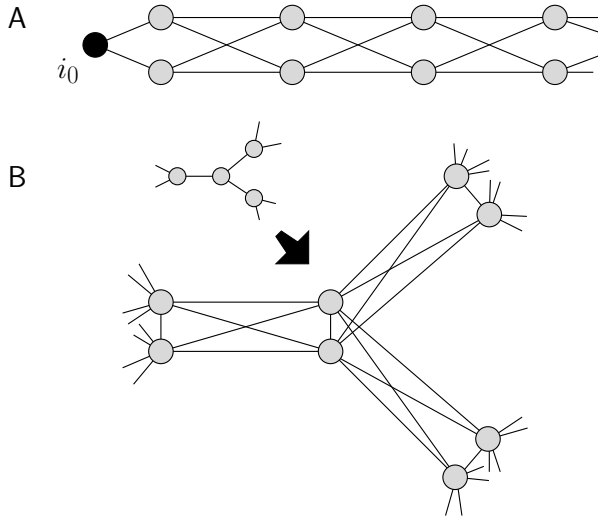
- ▶ Fairly uniform levels of individual influence.
- ▶ Multiplier effect is mostly below 1.

## The multiplier effect:



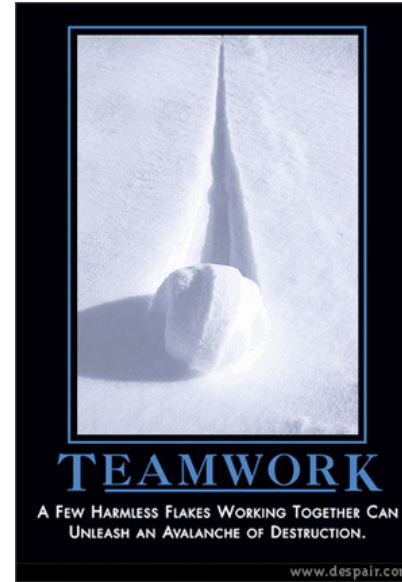
- ▶ Skewed influence distribution example.

## Special subnetworks can act as triggers



▶  $\phi = 1/3$  for all nodes

## The power of groups...

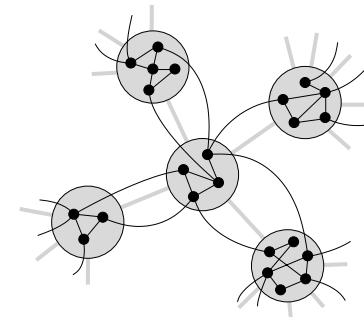


“A few harmless flakes working together can unleash an avalanche of destruction.”

## Extensions

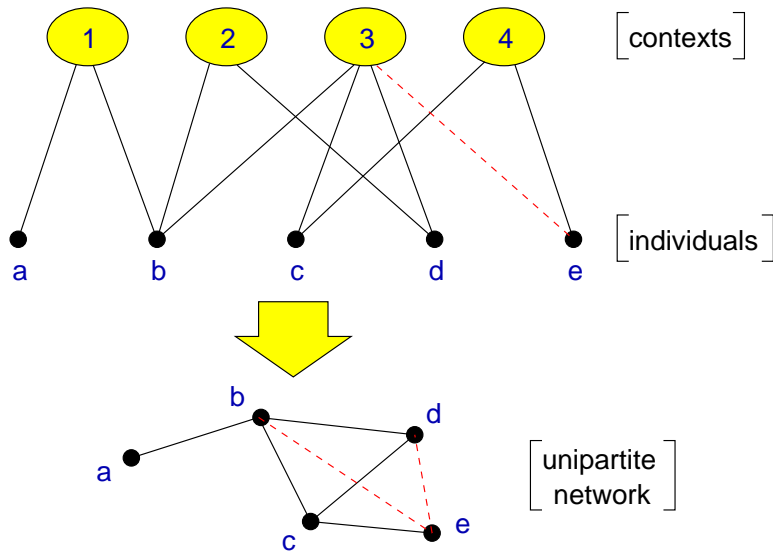
- ▶ Assumption of sparse interactions is good
- ▶ Degree distribution is (generally) key to a network's function
- ▶ Still, random networks don't represent all networks
- ▶ Major element missing: **group structure**

## Group structure—Ramified random networks

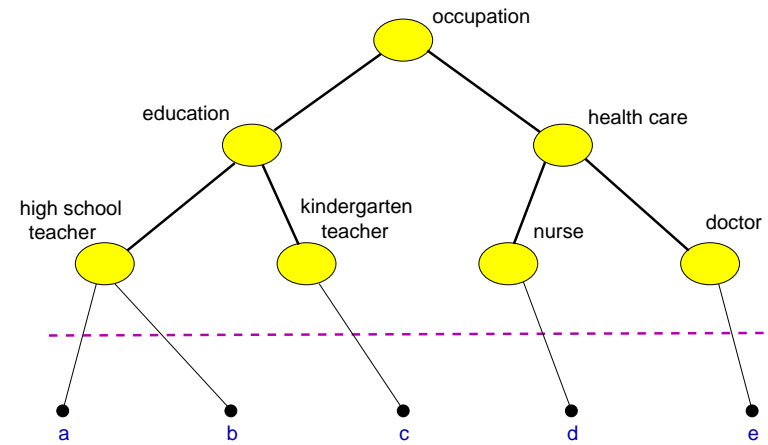


$p$  = intergroup connection probability  
 $q$  = intragroup connection probability.

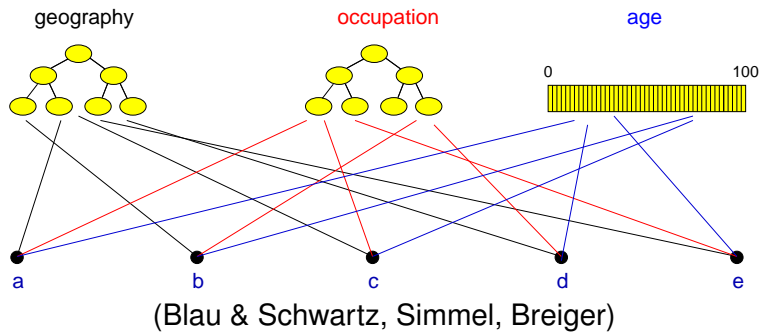
## Bipartite networks



## Context distance



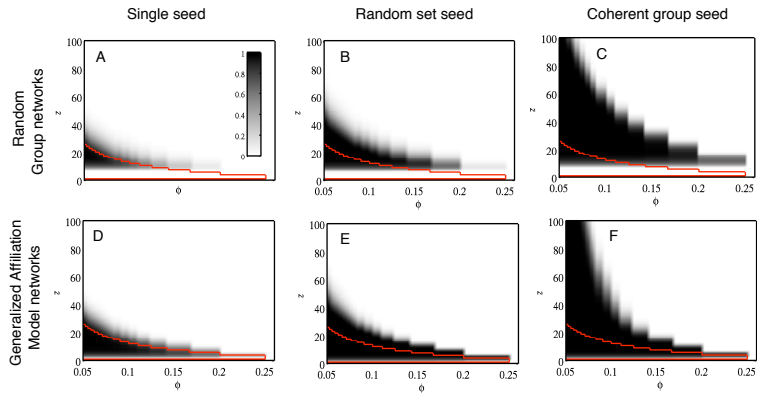
## Generalized affiliation model



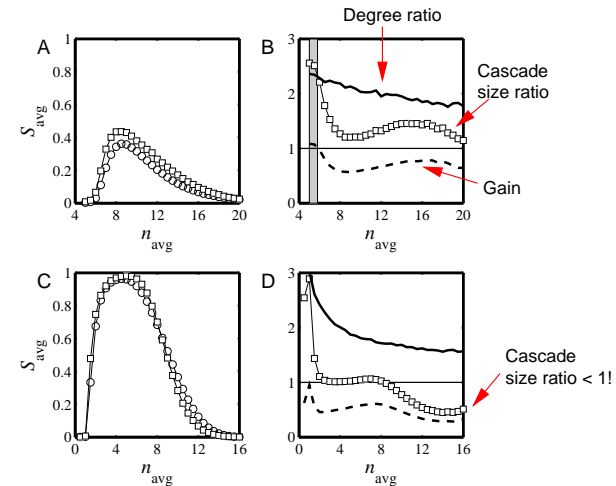
## Generalized affiliation model networks with triadic closure

- ▶ Connect nodes with probability  $\propto \exp^{-\alpha d}$  where
  - $\alpha$  = homophily parameter
  - and
  - $d$  = distance between nodes (height of lowest common ancestor)
- ▶  $\tau_1$  = intergroup probability of friend-of-friend connection
- ▶  $\tau_2$  = intragroup probability of friend-of-friend connection

# Cascade windows for group-based networks

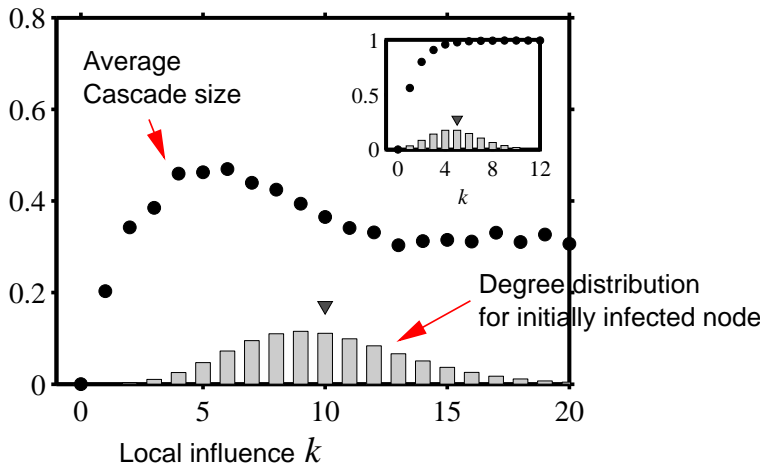


# Multiplier effect for group-based networks:



► Multiplier almost always below 1.

# Assortativity in group-based networks



- The most connected nodes aren't always the most 'influential.'
- Degree assortativity is the reason.

# Social contagion

## Summary

- 'Influential vulnerables' are key to spread.
- Early adopters are mostly vulnerables.
- Vulnerable nodes important but not necessary.
- Groups may greatly facilitate spread.
- Seems that cascade condition is a global one.
- Most extreme/unexpected cascades occur in highly connected networks
- 'Influentials' are posterior constructs.
- Many potential influentials exist.



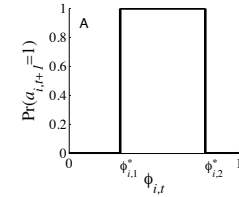
# Social contagion

## Implications

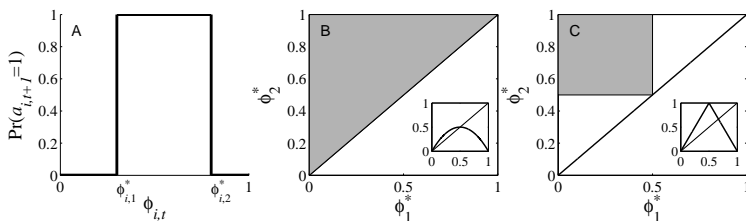
- ▶ Focus on **the influential vulnerables**.
- ▶ Create entities that can be transmitted successfully through many individuals rather than broadcast from one 'influential'.
- ▶ Only **simple ideas** can spread by word-of-mouth. (Idea of opinion leaders spreads well...)
- ▶ Want enough individuals who will adopt and display.
- ▶ Displaying can be **passive** = free (yo-yo's, fashion), or **active** = harder to achieve (political messages).
- ▶ Entities can be novel or designed to combine with others, e.g. block another one.

# Chaotic contagion:

- ▶ What if individual response functions are not monotonic?
- ▶ Consider a simple deterministic version:
- ▶ Node  $i$  has an 'activation threshold'  $\phi_{i,1}$  ... and a 'de-activation threshold'  $\phi_{i,2}$
- ▶ Nodes like to imitate but only up to a limit—they don't want to be like everyone else.



# Two population examples:



- ▶ Randomly select  $(\phi_{i,1}, \phi_{i,2})$  from gray regions shown in plots B and C.
- ▶ Insets show composite response function averaged over population.
- ▶ We'll consider plot C's example: **the tent map**.

# Chaotic contagion

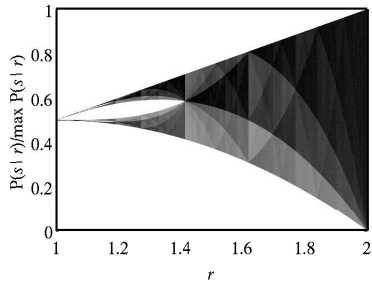
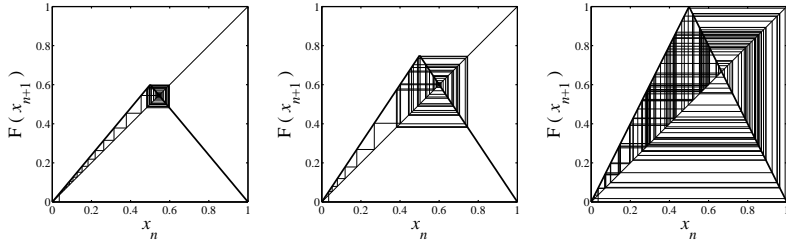
## Definition of the tent map:

$$F(x) = \begin{cases} rx & \text{for } 0 \leq x \leq \frac{1}{2}, \\ r(1-x) & \text{for } \frac{1}{2} \leq x \leq 1. \end{cases}$$

- ▶ The usual business: look at how  $F$  iteratively maps the unit interval  $[0, 1]$ .

# The tent map

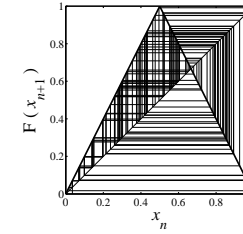
Effect of increasing  $r$  from 1 to 2.



**Orbit diagram:**  
Chaotic behavior increases as map slope  $r$  is increased.

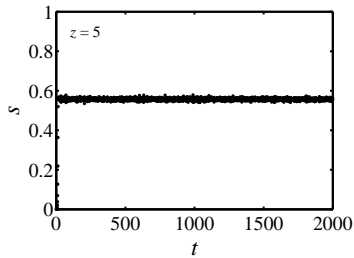
# Chaotic behavior

Take  $r = 2$  case:

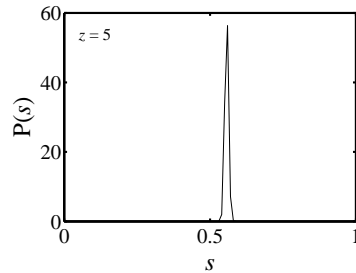


- ▶ What happens if nodes have limited information?
- ▶ As before, allow interactions to take place on a sparse random network.
- ▶ Vary average degree  $z = \langle k \rangle$ , a measure of information

# Invariant densities—stochastic response functions

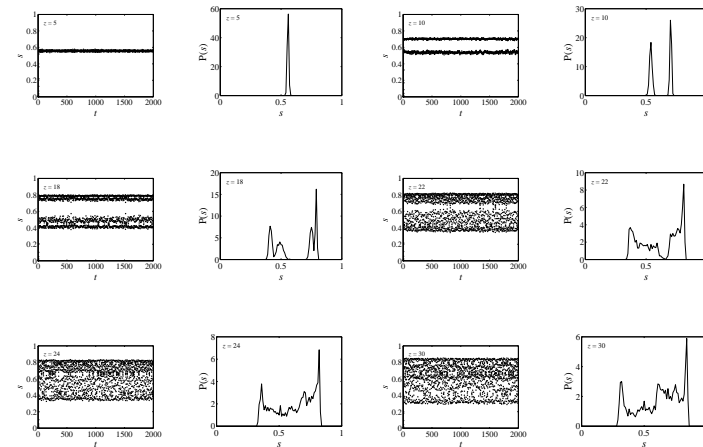


activation time series

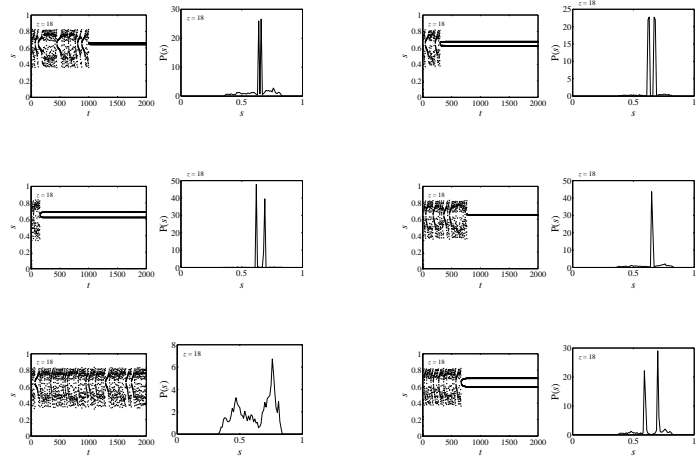


activation density

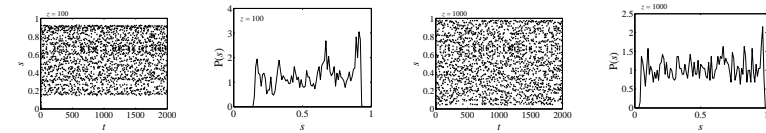
# Invariant densities—stochastic response functions



# Invariant densities—deterministic response functions for one specific network with $\langle k \rangle = 18$

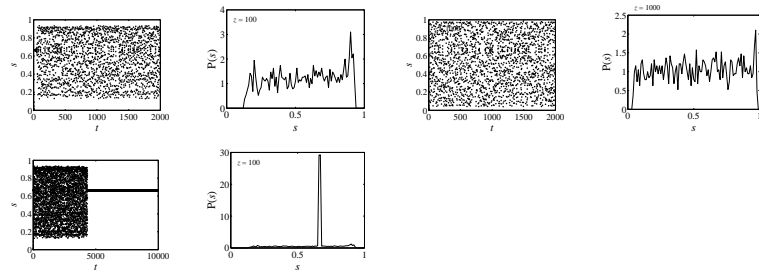


# Invariant densities—stochastic response functions



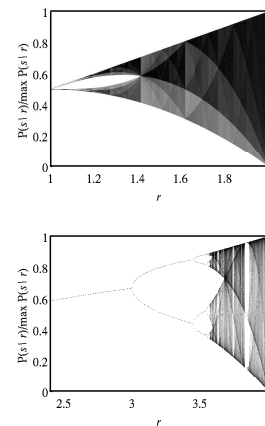
Trying out higher values of  $\langle k \rangle \dots$

# Invariant densities—deterministic response functions

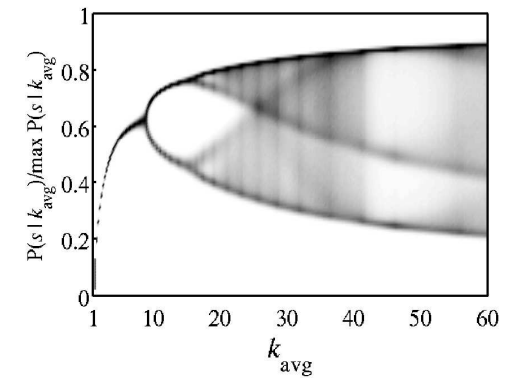


Trying out higher values of  $\langle k \rangle \dots$

# Connectivity leads to chaos:



Stochastic response functions:



# Chaotic behavior in coupled systems

Coupled maps are well explored (Kaneko/Kuramoto):

$$x_{i,n+1} = f(x_{i,n}) + \sum_{j \in \mathcal{N}_i} \delta_{i,j} f(x_{j,n})$$

►  $\mathcal{N}_i$  = neighborhood of node  $i$

1. Node states are **continuous**
2. Increase  $\delta$  and neighborhood size  $|\mathcal{N}|$   
⇒ **synchronization**

But for contagion model:

1. Node states are **binary**
2. **Asynchrony remains** as connectivity increases

## References I

- 📄 S. Bikhchandani, D. Hirshleifer, and I. Welch. A theory of fads, fashion, custom, and cultural change as informational cascades. *J. Polit. Econ.*, 100:992–1026, 1992.
- 📄 S. Bikhchandani, D. Hirshleifer, and I. Welch. Learning from the behavior of others: Conformity, fads, and informational cascades. *J. Econ. Perspect.*, 12(3):151–170, 1998. [pdf](#) (📄)
- 📄 J. Carlson and J. Doyle. Highly optimized tolerance: A mechanism for power laws in design systems. *Phys. Rev. E*, 60(2):1412–1427, 1999. [pdf](#) (📄)

Social Contagion

Social Contagion Models

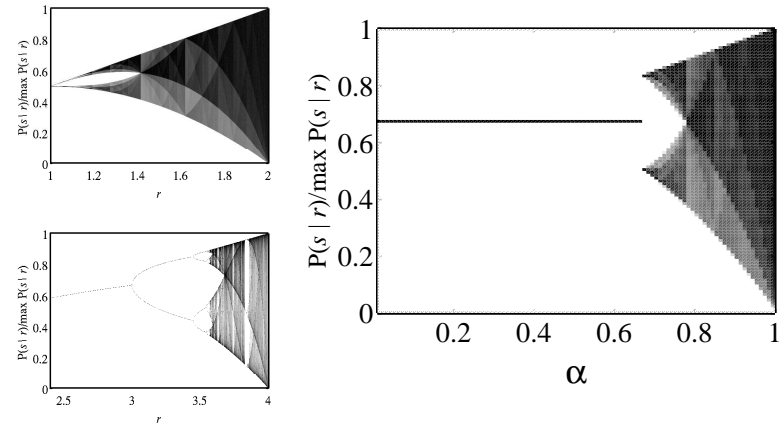
- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 82/89

📄 🔍 ↻

# Bifurcation diagram: Asynchronous updating



Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 83/89

📄 🔍 ↻

## References II

- 📄 J. Carlson and J. Doyle. Highly optimized tolerance: Robustness and design in complex systems. *Phys. Rev. Lett.*, 84(11):2529–2532, 2000. [pdf](#) (📄)
- 📄 N. A. Christakis and J. H. Fowler. The spread of obesity in a large social network over 32 years. *New England Journal of Medicine*, 357:370–379, 2007. [pdf](#) (📄)
- 📄 N. A. Christakis and J. H. Fowler. The collective dynamics of smoking in a large social network. *New England Journal of Medicine*, 358:2249–2258, 2008. [pdf](#) (📄)

Social Contagion

Social Contagion Models

- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 84/89

📄 🔍 ↻

Social Contagion

Social Contagion Models





- Background
- Granovetter's model
- Network version
- Groups
- Chaos

References

Frame 85/89

📄 🔍 ↻

## References III

-  R. B. Cialdini.  
*Influence: Science and Practice.*  
Allyn and Bacon, Boston, MA, 4th edition, 2000.
-  M. Gladwell.  
*The Tipping Point.*  
Little, Brown and Company, New York, 2000.
-  M. Granovetter.  
Threshold models of collective behavior.  
*Am. J. Sociol.*, 83(6):1420–1443, 1978. [pdf](#) (田)
-  M. Granovetter and R. Soong.  
Threshold models of diversity: Chinese restaurants, residential segregation, and the spiral of silence.  
*Sociological Methodology*, 18:69–104, 1988. [pdf](#) (田)

Social Contagion



Social Contagion Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 86/89



## References IV

-  M. S. Granovetter and R. Soong.  
Threshold models of interpersonal effects in consumer demand.  
*Journal of Economic Behavior & Organization*, 7:83–99, 1986.  
Formulates threshold as function of price, and introduces exogenous supply curve. [pdf](#) (田)
-  E. Katz and P. F. Lazarsfeld.  
*Personal Influence.*  
The Free Press, New York, 1955.
-  T. Kuran.  
Now out of never: The element of surprise in the east european revolution of 1989.  
*World Politics*, 44:7–48, 1991. [pdf](#) (田)

Social Contagion

Social Contagion Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 87/89



## References V

-  T. Kuran.  
*Private Truths, Public Lies: The Social Consequences of Preference Falsification.*  
Harvard University Press, Cambridge, MA, Reprint edition, 1997.
-  T. Schelling.  
Dynamic models of segregation.  
*J. Math. Sociol.*, 1:143–186, 1971.
-  T. C. Schelling.  
Hockey helmets, concealed weapons, and daylight saving: A study of binary choices with externalities.  
*J. Conflict Resolut.*, 17:381–428, 1973. [pdf](#) (田)
-  T. C. Schelling.  
*Micromotives and Macrobehavior.*  
Norton, New York, 1978.

Social Contagion




Social Contagion Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 88/89



## References VI

-  D. Sornette.  
*Critical Phenomena in Natural Sciences.*  
Springer-Verlag, Berlin, 2nd edition, 2003.
-  D. J. Watts.  
A simple model of global cascades on random networks.  
*Proc. Natl. Acad. Sci.*, 99(9):5766–5771, 2002. [pdf](#) (田)
-  U. Wilensky.  
Netlogo segregation model.  
<http://ccl.northwestern.edu/netlogo/models/Segregation>. Center for Connected Learning and Computer-Based Modeling, Northwestern University, Evanston, IL., 1998.

Social Contagion

Social Contagion Models  
Background  
Granovetter's model  
Network version  
Groups  
Chaos

References

Frame 89/89

